

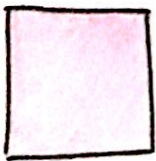
# Nota Ringkas MATHS

Made by : Nur Fanyia Dafyna [SI, 2024]

# Scale Drawing

•  $n < 1$

object



drawing

•  $n > 1$



object



drawing

• scale

$$= \frac{\text{measurement of scale drawing}}{\text{measurement of object}}$$

• scale

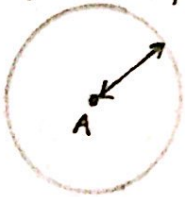
drawing : object

1 : n

$$= \frac{1}{n}$$

## LOCUS

• point A,



locus

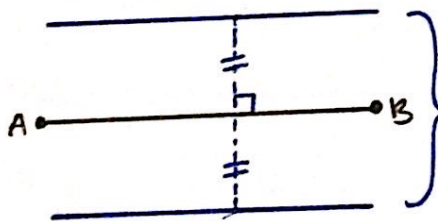
• for line AB,



perpendicular bisector

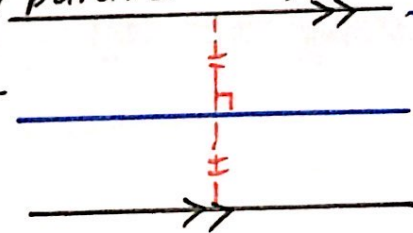
equidistant from point A and B  
[equal distance]

• for line AB,



locus with constant distance

• for parallel lines,



locus are equidistant from the parallel lines

## POLYGON

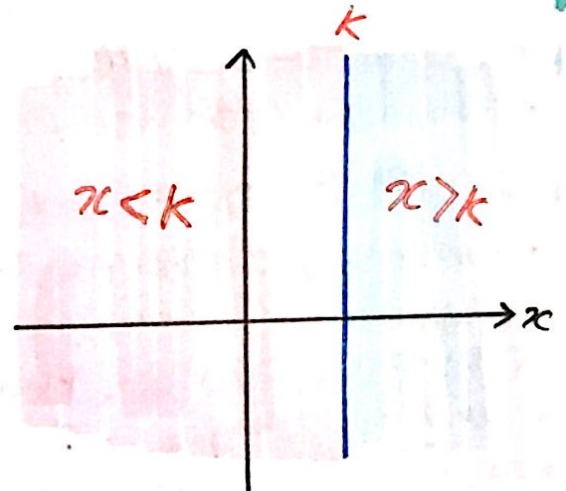
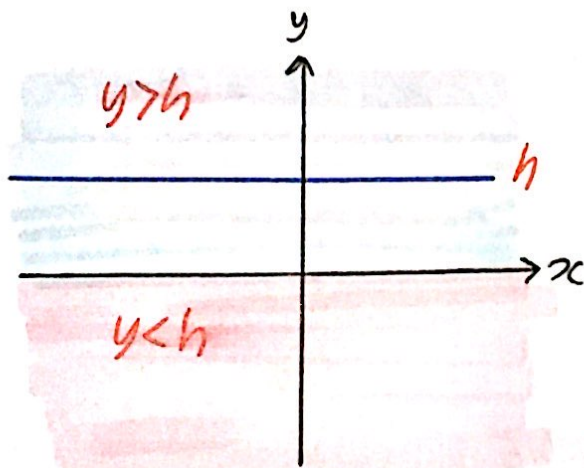
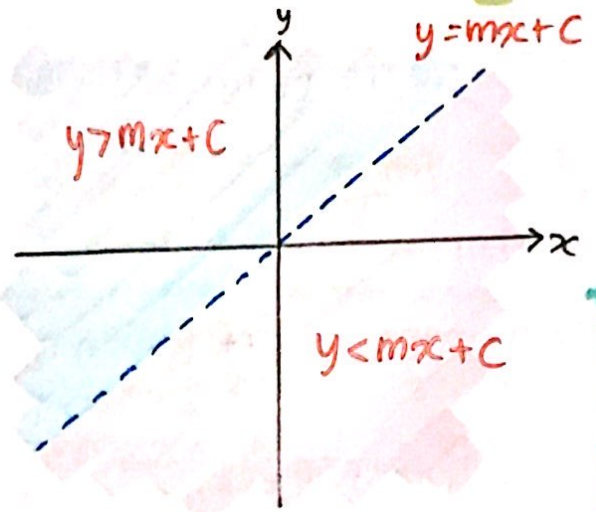
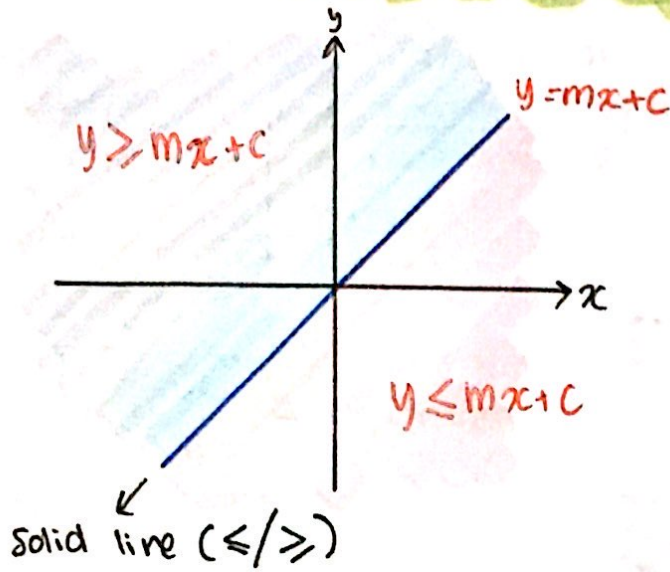
• interior angle

$$= \frac{(n-2) \times 180^\circ}{n} = \frac{\text{sum of interior angle}}{n \text{ of sides of polygon}} = 180 - \text{exterior angle}$$

• exterior angle

$$= \frac{360^\circ}{n} = \frac{\text{sum of exterior angle}}{n \text{ of sides of polygon}}$$

# LINEAR INEQUALITY



•  $m = \frac{y_2 - y_1}{x_2 - x_1}$

- common region  
- a region that satisfies all linear inequalities

# LOGICAL REASONING

- if P and Q is TRUE,
    - P and Q is TRUE
    - P or Q is TRUE
  - P = True, Q = False
    - P and Q is False
    - P or Q is TRUE
  - if P and Q is False,
    - P or Q is False
  - P = False, Q = True
    - P and Q is False
    - P or Q is true
- \* if either P or Q is false, P and Q is False but P or Q is true.

if P, then Q

antecedent      consequent

statement	: if p, then q
converse	: if q, then p
Inverse	: if $\sim p$ , then $\sim q$
contrapositive	: if $\sim q$ , then $\sim p$

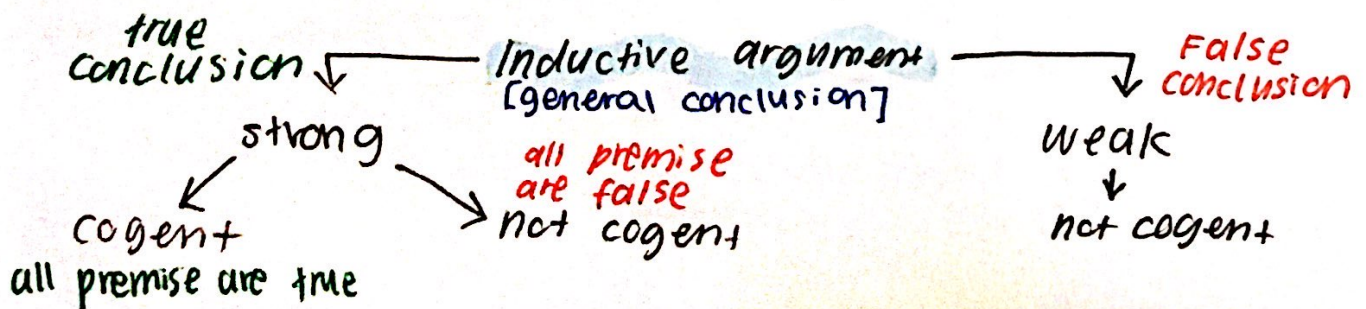
\*  $\sim p$   
- not P or  $\neq$

If P and Q is TRUE / False

- statement / converse / inverse / contrapositive = TRUE
- if ~~P~~ P = TRUE and Q = False
  - converse / Inverse = TRUE
  - statement / contrapositive = False
- if P = False and Q = TRUE
  - converse / Inverse = ~~True~~ False
  - statement / contrapositive = TRUE

Valid deductive argument [specific conclusion]

	Form 1	Form 2	Form 3
Premise 1	All A are B	if P, then Q	if P, then Q
Premis 2	C is A	p is true	not q is true
conclusion	C is B	q is true	not p is true



# data handling

## pie chart

$$\text{Angle} = \frac{\text{quantity}}{\text{total}} \times 360 \quad \text{or} \quad = \frac{\text{percentage}}{100} \times 360$$

## stem and leaf

stem	leaf
2	6 8 8
3	1 2 5 5 6
4	5

key: 2|6 means 2.6

or

key: 2|6 means 26

## Measures of central tendencies

### Mode

- item with the highest frequency

### mean

$$= \frac{\text{total number}}{n}$$

$\Sigma$  (sigma) = sum

### median

- middle

- if there's 2 number of middle,

$\frac{\text{middle}_1 + \text{middle}_2}{2}$

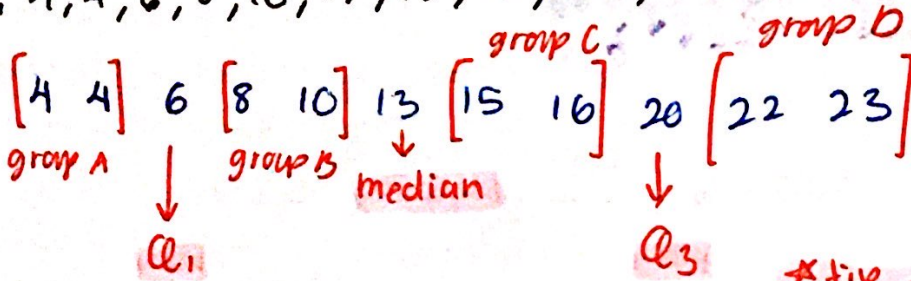
### range

= biggest value - smallest value

## Inter Quotile range

1. arrange the data in ascending order
2. Find median
3. divide to 2 part  $\begin{matrix} \nearrow \text{before median} \\ \searrow \text{after median} \end{matrix}$
4. group two values after / before median
5.  $Q_1$  is in between group A and group B
6.  $Q_3$  is between group C and D
7. Interquartile range =  $Q_3 - Q_1$

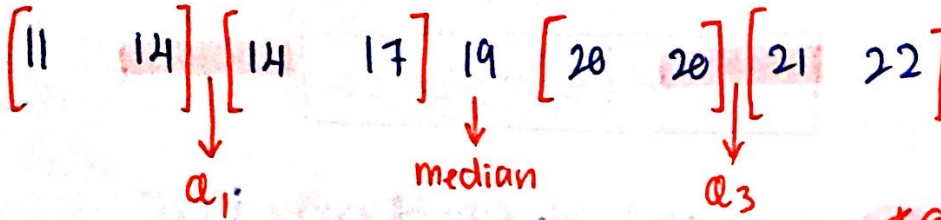
1. 4, 4, 6, 8, 10, 13, 15, 16, 20, 22, 23



Interquartile range =  $20 - 16 = 4$

\* tip: group the two first and last value, then group two value after and before median

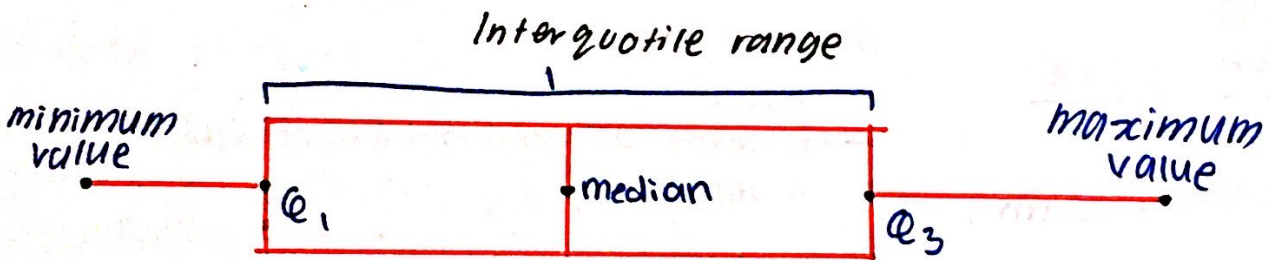
2. 11, 14, 14, 17, 19, 20, 20, 21, 22



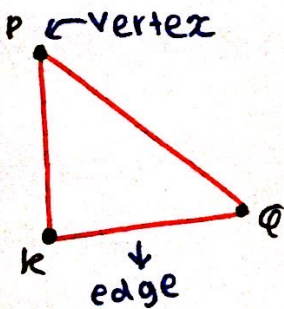
Interquartile range =  $\frac{21 + 20}{2} - \frac{14 + 14}{2} = 6.5$

\*  $Q_2 = \text{median}$

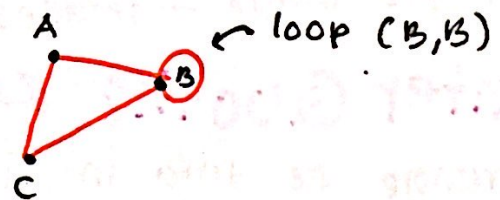
### Box Plot



## Network



G = graph  
 v = vertex / dot  
 e = edge  
 d = degree  
 $\Sigma$  = sum

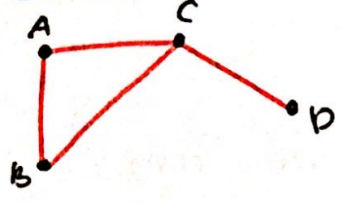


$V = \{v_1, v_2, v_3, \dots\}$        $E = \{(a_1, b_1), (a_2, b_2), \dots\}$

eg:  $v = \{p, q, k\}$       eg:  $\{(p, q), (p, k), (k, q)\}$

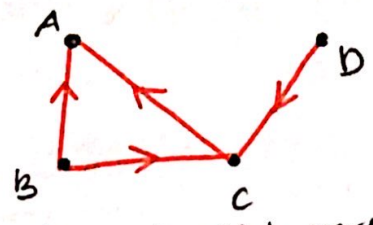
$\Sigma d(v) = \text{sum of degree}$   
 $= 2 \times nE$

## undirected graph



- order of vertices written is not important

## directed graph



- order of which vertices are written is according to the direction

•  $E = \{(B, A), (B, C), (C, A), (C, D)\}$   
 means that  $B \rightarrow A$

• degree : A  
 $d_{in} =$  (arrow from B to A)  
 $d_{out} =$  (arrow from A to C)

$d(A) = d_{in}(A) + d_{out}(A)$   
 [if there's loop,  $d = 1$ ]

## TREE

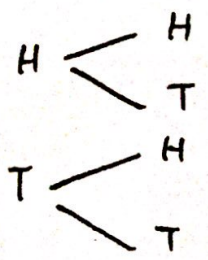
- ↳ no loop / multiple edges
- ↳ all vertices are connected by one edge
- ↳ number of vertices =  $n$
- ↳ number of edges =  $n - 1$

## PROBABILITY

$n(S) = n(A) \times n(B)$   
 ↓  
 Possible number of outcomes → number of outcomes

### sample space

eg: 2 coins are flipped.



sample space  
 $= \{(H, H), (H, T), (T, H), (T, T)\}$

### Independent event

- occurrence of event A don't affect occurrence of event B (and vice versa)
- probability of two independent events (A and B) = product of the probability of both of the events

• multiplication rule of probability :

$P(A \text{ and } B) = P(A) \times P(B)$

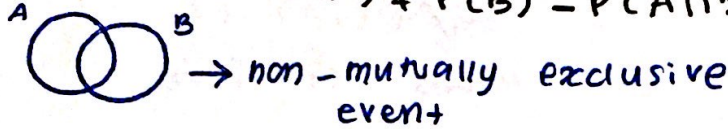
•  $P(A \cap B \cap C) = P(A) \times P(B) \times P(C)$

• combined event A and B [mutually exclusive event] occurs if there no intersection between the two events  
 $(A \cap B = \emptyset)$

• addition rule of probability

$P(A \cup B) = P(A) + P(B)$

$P(A \cup B) = P(A) + P(B) - P(A \cap B)$



$(A \cup B = \emptyset)$

$(A \cap B = \emptyset)$

→ mutually exclusive event

$P(A \text{ and } B) = P(A \cap B)$

$P(A \text{ or } B) = P(A \cup B)$

# FINANCIAL management

• cash flow = total income - total expenses

# CONSUMER math

•  $I = Prt$   
 ↑ principle  
 ↓ interest  
 ↗ rate ↘ time / years

•  $MV = P \left(1 + \frac{r}{n}\right)^{nt}$   
 ↑ matured value  
 ↓ principle

• Return on investment

$ROI = \frac{\text{total return}}{\text{initial investment}} \times 100\%$

rate = yearly interest rate

n = number of interest compounded in a year

t = term (years)

• Average cost

$= \frac{\text{investment amount}}{n \text{ of share units}}$

• total repayment

$A = P + Prt$

• loan amount

= purchase price - down payment

• monthly instalment

=  $\frac{A}{n}$

# Sets

\*  $n$  = number of items in the set

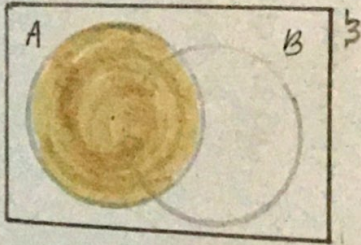
$n \cup$  = total number of items

$x'$  = opposite

$A = \{2, 4, 5, 6, 9\}$  and  $B = \{2, 3, 5, 6, 7, 9, 10\}$

$A \cap B = \{2, 5, 6, 9\}$   
(union)

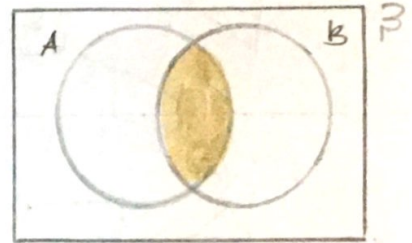
$A \cup B = \{2, 3, 4, 5, 6, 7, 9, 10\}$   
(all)



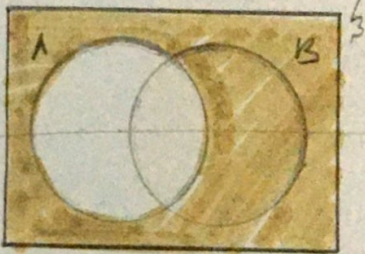
A



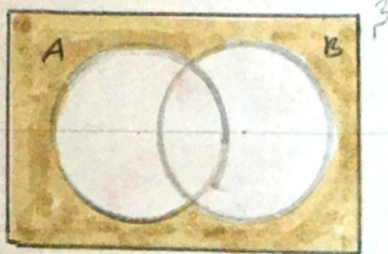
$A \cup B$



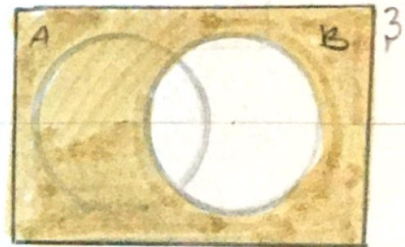
$A \cap B$



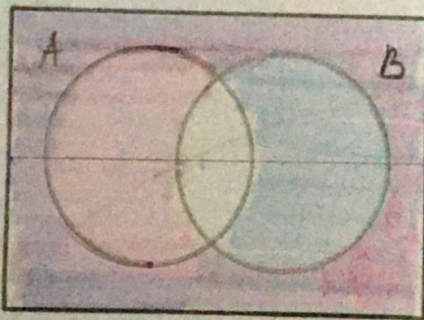
$A'$



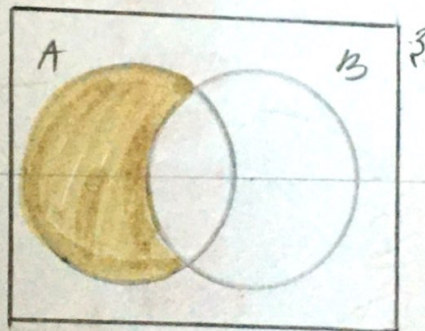
$(A \cup B)'$



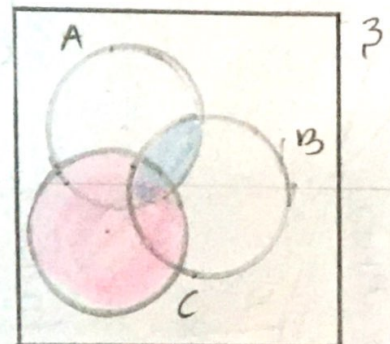
$(A \cap B)'$



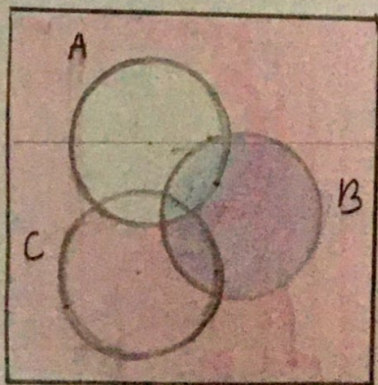
$A' \cup B'$



$A \cap B'$



$(A \cap B) \cup C$



$A' \cup B'$

extras

•  $\emptyset$  : empty set / no item

•  $A \subseteq B = \begin{matrix} \text{circle B} \\ \text{with circle A inside} \end{matrix}$

• if  $A = \{1, 2, 3\}$ ,  
then  $1 \in A, 2 \in A$  (1 in A, 2 in A)  
but  $4 \notin A$  (4 not in A)

# transformations

## rotation

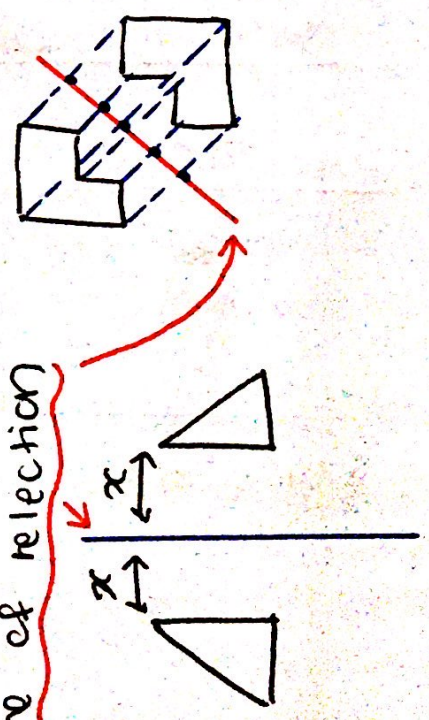
- angle of rotation ( $90^\circ, 180^\circ, 360^\circ$ )
- point of rotation
- direction of rotation (clockwise / anticlockwise)

## translation

- $(x, y) \rightarrow \begin{pmatrix} x \\ y \end{pmatrix}$  moves to:
- right =  $x$  or  $y > 0$
- left =  $x$  or  $y < 0$

## reflection

$\rightarrow B = A$  in distance from line of reflection



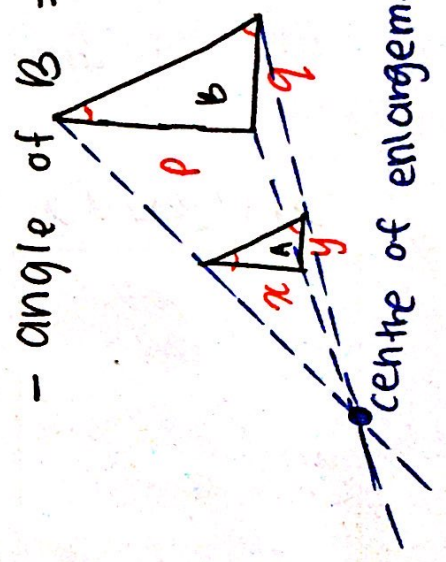
## enlargement

- angle of  $B = A$

eg:  $p = 2x$

$q = 2y$

$2 = \text{scale factor}$



بِسْمِ اللَّهِ الرَّحْمَنِ الرَّحِيمِ

Semoga Faisya Dafyha memperoleh 9A+ SPM 2024.  
Amin :)